

Standard Model (SM)

New Physics
 «
 New Particles



Have 171 pb^{-1} or **10 trillion collisions**
 Expect to detect **few events** that might only look like $B_{s(d)} \rightarrow \mu^+ \mu^-$ (background)

One way to search for the new particles is to create them in a collision.

Another way is to look at the signs of their virtual production, e.g. loop diagram.

Rare Decays

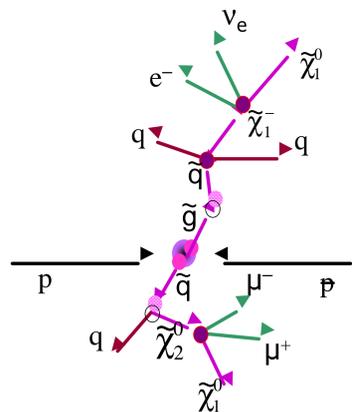
Flavor Changing Neutral Current in the Standard Model has **loop contributions only**.

$\text{Br}_{\text{SM}}(B_s \rightarrow \mu^+ \mu^-) = (3.5 \pm 1.0) \cdot 10^{-9}$

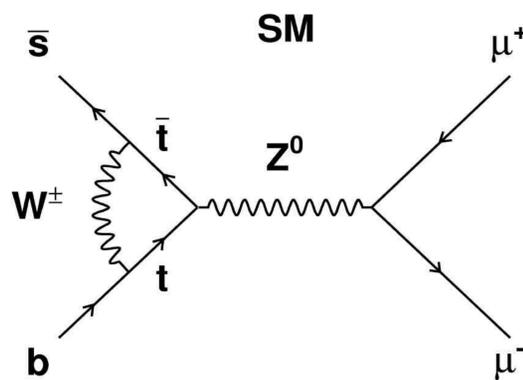
Only upper experimental limit:

$\text{Br}_{\text{exp}}(B_s \rightarrow \mu^+ \mu^-) < 2.0 \cdot 10^{-6}$ 90% C.L.
 CDF RunI @100/pb

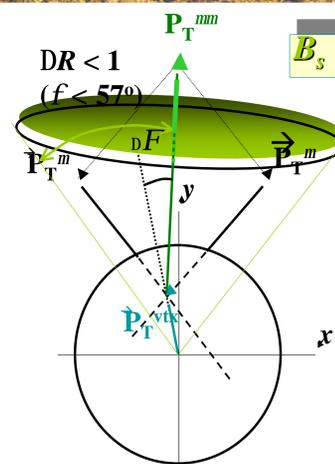
A theory/model that predicts **MUCH more?**



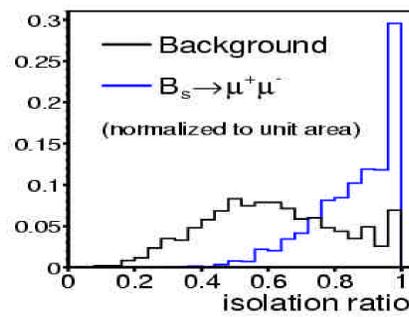
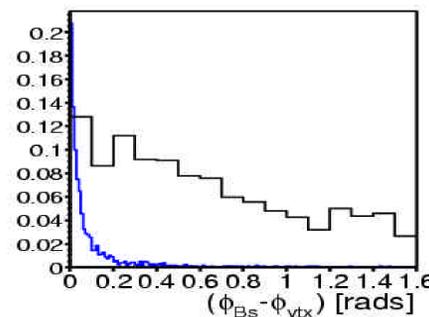
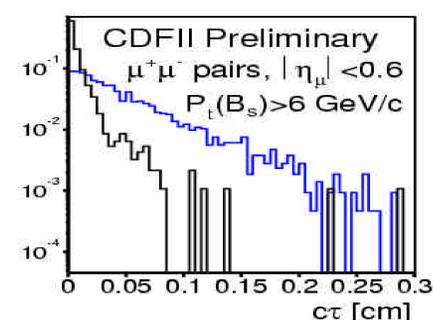
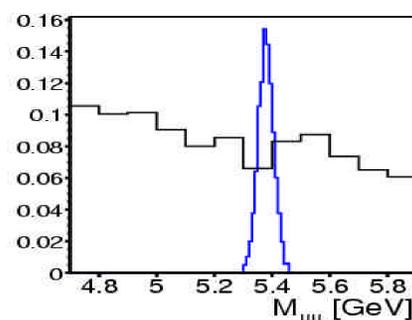
Example New Physics (SUSY) production diagram



Feynman (loop) diagram contributing to $B_s \rightarrow \mu^+ \mu^-$ decay



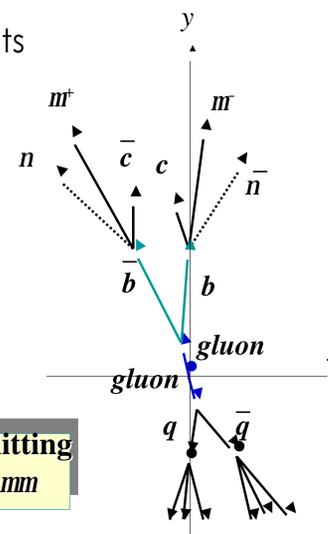
$B_s \rightarrow \mu^+ \mu^-$ cuts illustration



Background vs MC signal for $\mu^+ \mu^-$ events

Potential sources of background:

- continuum $qq \rightarrow \mu\mu$
- sequential semi-leptonic $b \rightarrow c \rightarrow \mu\mu X$,
- $b/c \rightarrow \mu X + \text{fake}$, fake+fake
- double semi-leptonic $g \rightarrow bb \rightarrow \mu\mu X$

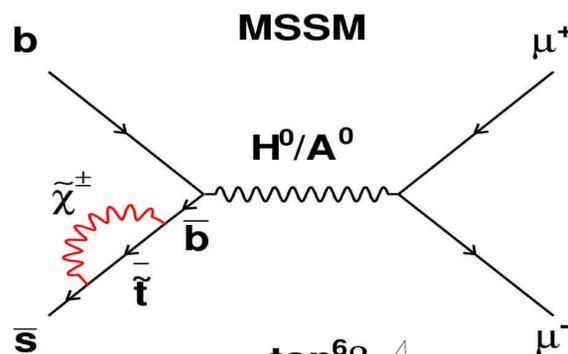
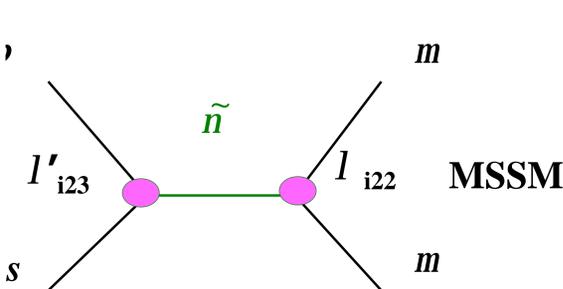


Gluon Splitting $g \rightarrow bb \rightarrow \mu\mu$

SuperSYmmetry a.k.a. SUSY

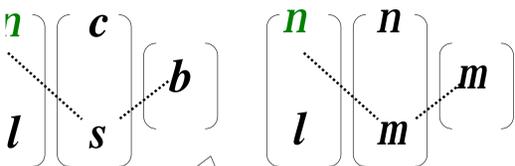
Symmetry between fermions and bosons

Each SM particle acquires its superpartner



$\sim \tan^6 \beta$

models with large $\tan \beta$:
 SO(10), some mSUGRA



R-parity violating models

Both allow values up to current experimental limit.

$B_d \rightarrow \mu^+ \mu^-$ is relatively suppressed, expect **most from $B_c \rightarrow \mu^+ \mu^-$**

$B_{s(d)} \rightarrow \mu^+ \mu^-$ Blind Analysis Paradigm

$$\langle BR(B_s \rightarrow \mu\mu) \rangle = \frac{(N_{\text{candidates}} - Bgd)}{a \cdot \epsilon_{\text{total}} \cdot S_{B_s} \cdot \int L dt}$$

- demonstrate understanding of background events
- accurately estimate α (acceptance) and ϵ (efficiency)
- intelligently optimize cuts

use ($M_{\mu\mu}$, $c\tau$, $\Delta\Phi$, Isolation) to discriminate Signal
 develop improved method to estimate expected background, $\langle \text{bgd} \rangle$
 perform studies that determine $B \rightarrow h+h^-$ contribution (amounts to
 .00 times smaller than expected limit)

cross-check the method in several control samples

Optimize selections for the best exclusion limit

Data Samples

- OS+ : opposite-sign muon pairs, $c\tau > 0$
our signal sample - not used for xchecks
- OS- : opposite-sign muon pairs, $c\tau < 0$
- SS+ : same-sign muon pairs, $c\tau > 0$
- SS- : same-sign muon pairs, $c\tau < 0$

Background Estimation

$$N(\text{bgd}) = N(\text{sideband} | c\tau, \Delta\Phi) * R(\text{iso}) * R(M_{\mu\mu})$$

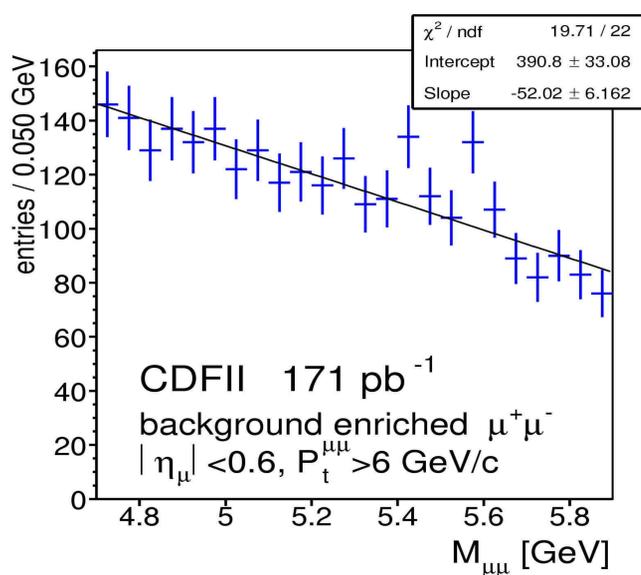
- $N(\text{sideband} | c\tau, \Delta\Phi)$ == sideband events passing $c\tau$ and $\Delta\Phi$ cuts
- $R(\text{iso})$ == fraction of bgd expected to survive an isolation cut
- $R(M_{\mu\mu})$ == given $N(\text{sideband})$, estimate of $N(\text{signal window})$

If uncorrelated ($\rho \ll 1$), can determine $R(\text{iso})$ and $R(M_{\mu\mu})$ on sample
 / NO $c\tau$, $\Delta\Phi$ cuts

$$r_{xy} = \frac{1}{N-1} \cdot \frac{\sum (x_i - \hat{x})(y_i - \hat{y})}{s_x s_y}$$

	OS+	OS-	SS+	SS-
r(Iso-ct)	-0.14	-0.05	-0.00	0.05
r(Iso-DF)	0.02	-0.08	-0.02	-0.02
r(Iso-M)	0.03	0.03	-0.02	-0.01
r(ct-M)	-0.03	-0.05	-0.02	0.00
r(DF-M)	0.05	0.06	0.06	0.01
r(DF-ct)	-0.30	-0.21	-0.20	-0.20

If $M_{\mu\mu}$ is linear, can use sidebands to estimate background



Background dominated data $M_{\mu\mu}$ distribution

Cross-Check

Cuts	N(exptd)	N(obsrvd)	$\mathcal{P}(>=\text{obs} \text{exp})$
loose	23 ± 3	27	20%
optimal	8 ± 1	11	17%
tight	1.2 ± 0.3	2	34%

Sample = OS- + SS+ + SS-

- take trigger and reconstruction efficiencies from $J/\Psi \rightarrow \mu^+ \mu^-$ data
 - $\pm 10\%$ syst due to kinematic differences in data J/Ψ and signal B_s
- use Monte Carlo to for efficiency of cuts on discriminating variables
 - cross-check MC modeling of above by comparing MC to Data in sample of $B^+ \rightarrow J/\Psi K^+$ ($\pm 5\%$ syst)
- total relative uncertainty is $\pm 11\%$ dominated by systematics

Results

For $(c\tau, \Delta\Phi, \text{Iso}) = (>200 \mu\text{m}, <0.10 \text{ rad}, >0.65)$ and mass window $\pm 80 \text{ Me}$
 around world avg $B_s(d)$: 5.369 GeV (5.279 GeV)

$$B_s(d): \alpha * \epsilon(\text{total}) = (2.0 \pm 0.2)\% \quad (\alpha \approx 6.6\%, \epsilon(\text{total}) \approx 30\%)$$

$$\text{Accepted bgd } \sigma = (6 \pm 2) \text{ fb}$$

$$\langle \text{Bgd} \rangle \text{ in } 171/\text{pb} = 1.1 \pm 0.3 \text{ events}$$

observed 1 - shared by B_s and B_d

Best world limits

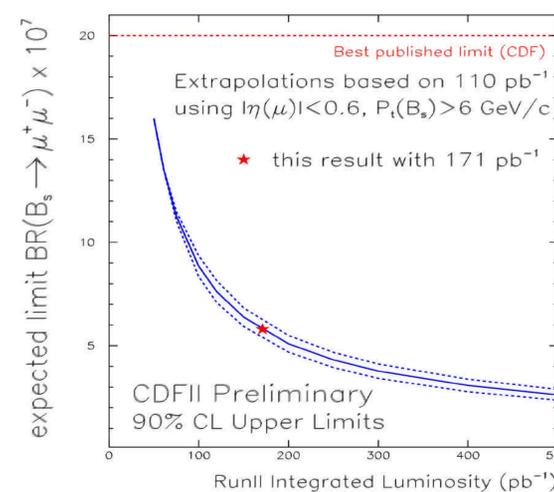
$$BR(B_s \rightarrow \mu^+ \mu^-) < 5.8 \times 10^{-7} \text{ 90\% C.L. } (7.5 \times 10^{-7} \text{ 95\% C.L.})$$

3 times better than Run I (previous world best)

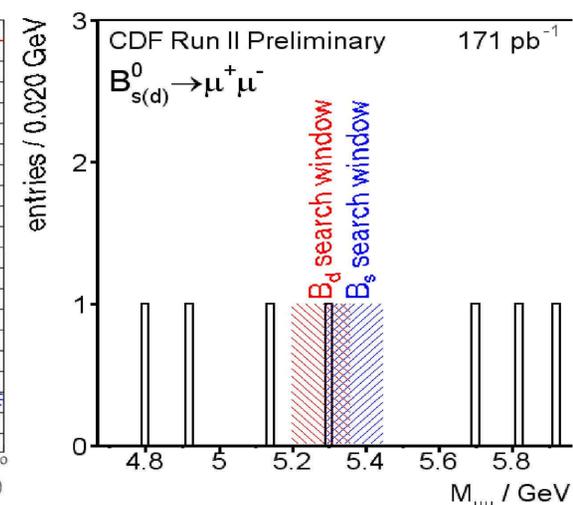
$$BR(B_d \rightarrow \mu^+ \mu^-) < 1.5 \times 10^{-7} \text{ 90\% C.L. } (1.9 \times 10^{-7} \text{ 95\% C.L.})$$

slightly better than (1.6×10^{-7} 90% C.L., just published)

B-factory/Belle result



expected limit for $BR(B_s \rightarrow \mu^+ \mu^-)$



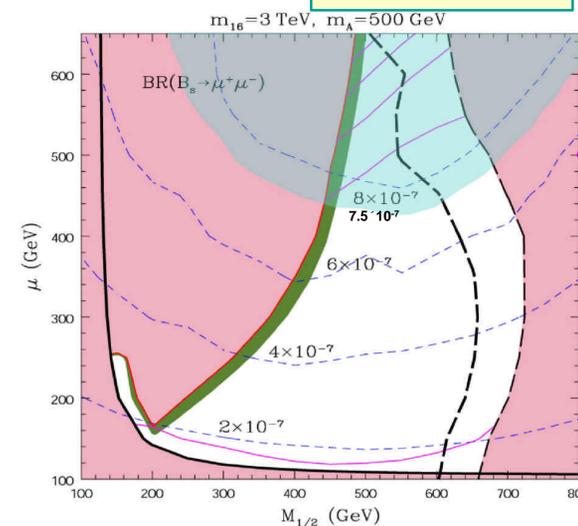
data $M_{\mu\mu}$ distribution

Results to appear in PRL
 Improved limits are on the way

Conclusions for SuperSYmmetry

SO(10)

R. Dermisek et al.,
 hep-ph/0304101



R-parity violating

R. Arnowitt et al.,
 PLB 538 (2002) 12
 new plot by B.Dutt

